## August/September 2022 B.Tech(EIC) Re-Appear 4th Sem. Control System-1 (EIC-210)

## **Time: 3 Hours**

Max. Marks:60

- Instructions:
- 1. It is compulsory to answer all the questions (2 marks each) of Part -A in short.
  - 2. Answer any four questions from Part -B in detail.
  - 3. Different sub-parts of a question are to be attempted adjacent to each other.
  - 4. Semi-logarithmic graph paper is to be used for Bode Plot

## PART -A

| (a) | Write all the rules of block diagram reduction algebra.   | (2)   |
|-----|---|---|
| (b) | State Initial value Theorem & how it is useful for a control system analysis?   | (2)   |
| (c) | Define Stability of a control system. What are the various measures for evaluating stability in time domain?                    | (2)   |
| (d) | Compare open loop & closed loop control systems   | (2)   |
| (e) | Write the expression for a state transfer matrix while explaining each term used  | (2)   |
| (f) | what is the effect of adding a lag compensator in the control system?   | (2)   |
| (g) | Define Kp, Kv& Ka & how they are related to steady state error of a first order system?   | (2)   |
| (h) | Define various frequency domain specifications for a control system.  | (2)   |
| (i) | Define impulse response of a system. What is its significance?  | (2)   |
| (j) | Define Gain Margin & Phase Margin of a system.  | (2)   |
|     | <ul> <li>(a)</li> <li>(b)</li> <li>(c)</li> <li>(d)</li> <li>(e)</li> <li>(f)</li> <li>(g)</li> <li>(h)</li> <li>(j)</li> </ul> | <ul> <li>(a) Write all the rules of block diagram reduction algebra.</li> <li>(b) State Initial value Theorem &amp; how it is useful for a control system analysis?</li> <li>(c) Define Stability of a control system. What are the various measures for evaluating stability in time domain?</li> <li>(d) Compare open loop &amp; closed loop control systems</li> <li>(e) Write the expression for a state transfer matrix while explaining each term used</li> <li>(f) what is the effect of adding a lag compensator in the control system?</li> <li>(g) Define Kp, Kv&amp; Ka &amp; how they are related to steady state error of a first order system?</li> <li>(h) Define various frequency domain specifications for a control system.</li> <li>(j) Define Gain Margin &amp; Phase Margin of a system.</li> </ul> |

## PART -B



(b) Calculate the values of K for which the system having characteristic equation is (5) stable:  $s^{3} + 7s^{2} + 28s + K = 0$ 

- Q3 (a) State & explain the rules of construction of root loci of G(s)H(s)
  - (b) Consider the unity feedback closed loop system where the forward path t.f. is: (4)

$$G(s) = \frac{25}{s(s+5)}$$

Obtain the rise time, peak time, maximum overshoot and settling time when the system is subjected to a unit-step input.

(10)

[5]

Q4 Draw the Bode Plot of the transfer fn.:

$$G(s)H(s) = \frac{80}{s(1+0.02s)(1+0.05s)}$$

Find out gain margin, phase margin& hence the stability of the system.

- Q5 (a) Sketch the Polar plot of  $G(s) = \frac{1}{(1+s)(1+2s)}$  (5) (b) Find out the Steady State Error for r(t)=u(t), the transfer function for the (5)
  - system is given  $G(s)H(s) = \frac{100}{(1+0.5s)(1+2s)}$ as:
- Q6 (a) Draw the pole zero configuration of a lag compensator on s- plane. Compare (5) Lag & lead compensators.
  - (b) Explain the terms: (i) Resonance Peak (ii) Relative Stability (iii) PI Control (5)

- (i) M&N Circles [5]
- (ii) Nyquist Stability Criterion

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